

Project

"Bakery City Creamery Floor Upgrade"

Latitude:= 44.7752 *Longitude*:= -117.8283

City:= "Baker City"

State:= "Oregon" *ZipCode*:= 97814

Relevant Codes

ASCE 7-10

IBC 2012

NDS 2012

ACI 318-08

Oregon Structural Specialty Code
(OSSC) 2014

Site Criteria and Loads

Wind:

N/A - No Lateral Calculations Required
For the Scope of this work

Seismic:

N/A - No Lateral Calculations Required
For the Scope of this work

Snow:

N/A - No Snow Load Analysis Required
For the Scope of this work



Project Geometry

*beam*_{length}:= 22 **ft**

*beam*_{span_type}:= "Two Span Continuous"

*joist*_{length}:= 12.5 **ft**

*joist*_{span_type}:= "Simple"

*Post*_{height}:= 8 **ft**

Dead Load

$D := 20 \text{ psf}$ Includes Subfloor, Floor Joists, + 10 psf floor finishing

Live Load

$L := 100 \text{ psf}$ ASCE 7-10 Table 4.1-Distributed Load for "Stores: Retail"

$L_p := 1000 \text{ lbf}$ ASCE 7-10 Table 4.1-Point Load for "Stores: Retail"

Snow Load

$S := 0 \text{ psf}$ Snow Load Not Applicable to Interior Calculations

Determine Controlling Load Case for First Floor

$w_1 := D = 20 \text{ psf}$

$$w_{1mod} := \frac{D}{0.9} = 22.22 \text{ psf}$$

$w_2 := D + L = 120 \text{ psf}$

$$w_{2mod} := \frac{D+L}{1.0} = 120 \text{ psf}$$

$w_3 := D + S = 20 \text{ psf}$

$$w_{3mod} := \frac{D+S}{1.15} = 17.39 \text{ psf}$$

$w_4 := D + 0.75 \cdot L + 0.75 \cdot S = 95 \text{ psf}$

$$w_{4mod} := \frac{D+0.75 \cdot L+0.75 \cdot S}{1.15} = 82.61 \text{ psf}$$

$w_5 := D = 20 \text{ psf}$

$$w_{5mod} := \frac{D}{0.9} = 22.22 \text{ psf}$$

$w_{6a} := D + 0.75 \cdot L + 0.75 \cdot S = 95 \text{ psf}$

$$w_{6amod} := \frac{D+0.75 \cdot L+0.75 \cdot S}{1.15} = 82.61 \text{ psf}$$

$w_{6b} := D + 0.75 \cdot L + 0.75 \cdot S = 95 \text{ psf}$

$$w_{6bmod} := \frac{D+0.75 \cdot L+0.75 \cdot S}{1.15} = 82.61 \text{ psf}$$

$w_7 := 0.6 \cdot D = 12 \text{ psf}$

$$w_{7mod} := \frac{0.6 \cdot D}{0.9} = 13.33 \text{ psf}$$

$w_8 := 0.6 \cdot D = 12 \text{ psf}$

$$w_{8mod} := \frac{0.6 \cdot D}{0.9} = 13.33 \text{ psf}$$

$w_{control} := \max(w_{1mod}, w_{2mod}, w_{3mod}, w_{4mod}, w_{5mod}, w_{6amod}, w_{6bmod}, w_{7mod}, w_{8mod}) = 120 \text{ psf}$

$w_{control} := w_2 = 120 \text{ psf}$

Determined to be controlling loading combined with applicable duration factor given in NDS 2012

Determine size and spacing of lower floor joists

$$S := 16 \text{ in}$$

O.C. Spacing of Joists

$$M_{dist} := \frac{W_{control} \cdot S \cdot joist_{length}^2}{8} = 3125 \text{ lbf} \cdot \text{ft}$$

Max Moment per joist w/ uniform live load

$$M_{point} := \frac{D \cdot S \cdot joist_{length}^2}{8} + \frac{L_p \cdot joist_{length}}{4} = 3645.83 \text{ lbf} \cdot \text{ft}$$

Max Moment per joist w/ point live load

$$M_{max} := \max(M_{dist}, M_{point}) = 3645.83 \text{ lbf} \cdot \text{ft}$$

Controlling Max Moment

$$W_{equivalent} := \frac{M_{max} \cdot 8}{joist_{length}^2} = 186.67 \text{ plf}$$

Select BCI 90 2.0 3-1/2" Flange, 11-7/8" depth from BCI Allowable Uniform Floor Load Tables, maximum load of 207 plf

Calculate Bottom Floor Beam Size

Design note: Beam Size to be a minimum 12" depth min, to match joist size

$$length_{trib} := 12.5 \text{ ft} \quad \text{Tributary Floor Length}$$

$$M_{max} := \frac{w_{control} \cdot length_{trib} \cdot \left(\frac{beam_{length}}{2}\right)^2}{8} = 22687.5 \text{ lbf} \cdot \text{ft}$$

$$C_D := 1.0 \quad C_M := 1.0 \quad C_t := 1.0 \quad C_L := 1.0$$

$$L := \frac{beam_{length}}{ft} = 22 \quad d := 12$$

$$x := 10 \quad b := 3.5$$

$$C_V := \left(\frac{21}{L}\right)^{\frac{1}{x}} \cdot \left(\frac{12}{d}\right)^{\frac{1}{x}} \cdot \left(\frac{5.125}{b}\right)^{\frac{1}{x}} = 1.03 \quad C_{fu} := 1.0 \quad C_c := 1.0$$

$$F_b := 2400 \text{ psi} \quad 24F-V4 \text{ DF/DF GLULAM BEAM} \quad \text{NDS Table 5A}$$

$$F'_b := F_b \cdot C_D \cdot C_M \cdot C_t \cdot C_L \cdot C_V \cdot C_{fu} \cdot C_c = 2481.72 \text{ psi}$$

Determine the applied bending stress

$$S := 132 \text{ in}^3$$

$$f_b := \frac{M_{max}}{S} = 2062.5 \text{ psi}$$

$$f_b = 2062.5 \text{ psi} < F'_b = 2481.72 \text{ psi} \quad \text{OK}$$

Check Maximum Deflection

$$I := 792 \text{ in}^4$$

$$l := \frac{beam_{length}}{2} = 11 \text{ ft}$$

$$w := w_{control} \cdot length_{trib} = 1500 \text{ plf}$$

$$\frac{l}{240} = 0.55 \text{ in}$$

$$E := 0.88 \cdot 10^6 \text{ psi} = 880000 \text{ psi}$$

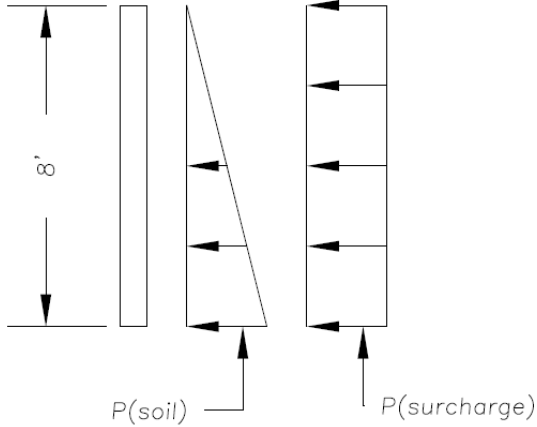
$$\Delta_{max} := \frac{w \cdot l^4}{185 \cdot E \cdot I} = 0.29 \text{ in}$$

OK

Use Glulam 24F-V4 5-1/2"x12" Beam for floor support between posts

Design Basement Retaining Wall

Design note: Basement Wall is Designed to resist active earth pressure as if the existing building foundation were non-existent. The Basement Wall is **NOT** Designed to resist vertical load originating from the building envelope.



Consider Active Condition w/ surcharge live load of 40 psf

$$q_{sur} := 50 \text{ plf} \quad \text{Live Load}$$

$$\gamma_{soil} := 120 \text{ pcf}$$

$$\phi := 31 \text{ deg}$$

$$H_{wall} := 8 \text{ ft}$$

$$L_{wall} := 1 \text{ ft} \quad \text{Design Per Foot}$$

$$\gamma_{conc} := 150 \text{ pcf}$$

$$1.2 \cdot D + 1.6 \cdot L \quad \text{Controlling LRFD Design Equation}$$

$$K_a := \tan\left(45 \text{ deg} - \frac{\phi}{2}\right) = 0.32$$

$$P_{soil} := K_a \cdot H_{wall} \cdot \gamma_{soil} \cdot L_{wall} \cdot 1.2 = 368.75 \text{ plf}$$

$$P_{sur} := 1.6 \cdot q_{sur} \cdot K_a = 25.61 \text{ plf}$$

$$R_{sur} := P_{sur} \cdot H_{wall} = 204.86 \text{ lbf}$$

$$H_{sur} := 4 \text{ ft}$$

$$A_{footing} := 6.7 \text{ ft}^2$$

$$R_{soil} := P_{soil} \cdot \frac{H_{wall}}{2} = 1475.015 \text{ lbf}$$

$$B := 36 \text{ in}$$

$$H_{soil} := \frac{H_{wall}}{3} = 2.67 \text{ ft}$$

$$t_{wall} := 12 \text{ in}$$

Sum moments at bottom of wall to determine tension force in steel per foot of wall:

$$\sum M_a = 0 = \gamma_{conc} \cdot t_{wall} \cdot H_{wall} \cdot L_{wall} \cdot \frac{t_{wall}}{2} - R_{soil} \cdot H_{soil} - R_{sur} \cdot H_{sur} + T_{steel} \cdot \frac{t_{wall}}{2}$$

$$T_{steel} := \frac{R_{soil} \cdot H_{soil} + R_{sur} \cdot H_{sur} - t_{wall} \cdot H_{wall} \cdot \frac{t_{wall}}{2} \cdot L_{wall} \cdot \gamma_{conc}}{\frac{t_{wall}}{2}} = 8305.655 \text{ lbf}$$

$$\sigma_{steel} := 0.9 \cdot 60 \text{ ksi} = 54 \text{ ksi}$$

T_{steel}

$$A_{steel} := \frac{T_{steel}}{\sigma_{steel}} = 0.15 \text{ in}^2 \quad \text{Total of area of steel per foot required}$$

$$A_{\#5bar} := 0.31 \text{ in}^2$$

$$S := 1.5 \quad \text{Bar Spacing Provided in feet}$$

$$A_{provided} := \frac{A_{\#5bar}}{S} = 0.2067 \text{ in}^2 \quad > \quad A_{steel} = 0.1538 \text{ in}^2$$

Use #5 Bars @ 18 inches on center

Check Wall Overturning, Assume Footing width to be the length from outside of wall to the end of the thickened footing

$$D_{concrwall} := 150 \text{ pcf} \cdot 8 \text{ ft} \cdot 12 \text{ in} \cdot 1 \text{ ft} = 1200 \text{ lbf}$$

$$D_{footing} := B \cdot 16 \text{ in} \cdot 150 \text{ pcf} \cdot 1 \text{ ft} = 600 \text{ lbf}$$

$$D := (D_{concrwall} + D_{footing}) = 1800 \text{ lbf}$$

$$w := 30 \text{ in}$$

$$1.4 \cdot D \quad \text{Controlling LRFD Design Equation}$$

$$P_{soil} := K_a \cdot H_{wall} \cdot \gamma_{soil} \cdot L_{wall} \cdot 1.4 = 430.21 \text{ plf}$$

$$D_{top} := D = 1800 \text{ lbf} \quad d := 6 \text{ in}$$

$$M_R := (D_{concrwall}) \cdot (w - d) + D_{footing} \cdot \frac{w}{2} = 3150 \text{ lbf} \cdot \text{ft}$$

$$M_o := \left(P_{soil} \cdot (H_{soil} + 7 \text{ in}) + P_{sur} \cdot \left(\frac{H_{wall}}{2} + 7 \text{ in} \right) \right) \cdot 1 \text{ ft} = 1515.56 \text{ lbf} \cdot \text{ft}$$

$$FS_{overturn} := \frac{M_R}{M_o} = 2.08 \quad \text{Ok}$$

Determine minimum Horizontal wall steel

$$\rho_{tmin} := 0.0020$$

$$\rho_t = \frac{A_{steel}}{A_{conc}} \quad A_{bar} := A_{\#5bar} = 0.31 \text{ in}^2$$

$$A_{steel} = A_{bar} \cdot N \quad A_{conc} := 12 \text{ in} \cdot 8 \text{ ft} = 8 \text{ ft}^2$$

$$N := \frac{\rho_{tmin} \cdot A_{conc}}{A_{bar}} = 7.43 \quad \text{Use (8) #5 bars for 8' wall}$$

Determine Required Hook Development Length

(ACI 318 Section 12.5)

$$\lambda := 1.0 \quad \psi_e := 1.0 \quad F_y := 60000 \quad F'_c := 3000 \quad d_b := 0.5 \text{ in}$$

$$l_{dh} := \frac{0.02 \cdot \psi_e \cdot F_y}{\lambda \cdot \sqrt{F'_c}} \cdot d_b = 10.954 \text{ in}$$

but not less than:

$$8 d_b = 4 \text{ in} \quad \text{or} \quad 6 \text{ in}$$